

# Highly Dispersive Photonic Crystal Fibers for True-Time-Delay Modules of an X-band Phased Array Antenna

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## ABSTRACT

A two-dimensional optically controlled phased array antenna (PAA) system is proposed. The system employs highly dispersive photonic crystal fibers (HDPCFs) to provide the true-time-delays (TTD). Independent azimuth and elevation control is obtained through a mid-stage optical wavelength conversion process. The dispersion of the fabricated is as high as  $-600$  ps/nm·km around 1550 nm which is 33 times of conventional telecom SMF. By employing the PCFs to increase the dispersion, the TTD module size can be proportionally reduced. A 64-element (8×8) PCF-based PAA system is under construction. Simulation results operating at X-band are shown in this paper.

**Keywords:** Photonic crystal fiber (PCF), phased array antenna (PAA), true time delay (TTD), wavelength tuning

## 1. INTRODUCTION

Phased array antenna (PAA) is one of the key technologies in modern radar and communication systems. They offer advantages of low visibility, high directivity, quick steering without hardware movement, reduced weight and less power consumption. Each antenna element of a PAA must have the correct phase condition to accomplish the desired beam scanning. However, the conventional electrical phase trimmer technique is an intrinsically narrow-band technique that introduces beam squint. A popular solution is true time delay (TTD) techniques, which are free of beam squint effect in the PAA system. Additionally, optical TTD techniques have the advantages of wide bandwidth, compact size, reduced weights, and low electromagnetic interference compared with electrical TTD techniques [1]-[4]. Many optical TTD techniques have been proposed for obtaining TTD capability [4]. However, most of the techniques require a large number of precisely time-delay matched optical elements such as lasers and optical delay segments. The result is complex system designs that may suffer from large power losses, specialized component needs, instability, or inability to easily scale to real-world two-dimensional (2-D) arrays. Esman et al proposed a fiber-optic TTD using conventional high dispersion fiber, commercial dispersion compensating fiber ( $D = -100$  ps/nm·km), to meet these requirements [2]. However, the dispersion is fairly small, long fibers are needed in the TTD module to get the total amount of dispersion which is needed. If the fiber dispersion absolute value can be designed to be higher, the total fiber length will be decreased significantly. Photonic crystal fibers (PCFs) provide large tuning ability in increasing the dispersion absolute value to meet this requirement [5-7].

It is well known that conventional single-mode fibers (SMFs) based on weakly guiding structures of doped silica can be tailored to increase dispersion by increasing the refractive index difference between core and cladding [5]. Due to the small index variation from doping over the transverse cross section, dispersion of conventional highly dispersive fibers, e.g. dispersion compensating fibers (DCFs), cannot be changed significantly. This shortcoming may be overcome by the design of PCFs, which can be tailored to exhibit both high positive and negative dispersion [5-7]. The novel cladding structure of PCFs consisting of an array of micrometer-sized air holes allows for flexible tailoring of the dispersion curve [5-9]. Considerable work has already been done to obtain a basic understanding of the dispersion properties of both modified total internal reflection (MTIR) guiding and photonic bandgap (PBG) guiding PCFs for both high dispersion and ultra-flatten zero dispersion [5-9].

In this letter, we propose a novel optical TTD module using highly dispersive PCF (HDPCF) and a 2D continuously wavelength tunable phased array antenna (PAA) system based on these novel TTD modules that only require two wavelength tunable lasers for the control of the entire array of antenna elements or subarray. The approach is based on dispersion-enhanced photonic crystal fibers (PCFs) reported herein and other commercially available components and has potentially high reliability and stability as it requires no mechanically moving parts and no optical



### 3. HDPCF THEORY

The transverse section of a modified total internal reflection (MTIR) guiding PCF consists of a regular hexagonal array of microscopic holes in silica glass, polymer or other materials that extend along the entire fiber length. There is a defect (missing a hole) located at the center of the regular hexagonal structure. This structure is defined by the distance between the centers of two consecutive holes, or the pitch,  $\Lambda$ , and the hole diameter  $d$ , as shown in Fig. 2. The guiding mechanism is provided by the photonic crystal cladding that localizes light in the silica core, preventing transverse radiation [8]. Standard optical fiber analogies do not help due to the large index contrast and complex structure of PCF, so Maxwell's equations must be solved numerically. The dispersion of PCF can be calculated using the full vectorial plane-wave expansion (PWE) method [8-9]. This method is fast and accurate compared with other methods. The approach involves the solution of the eigenvalue problem corresponding to the vector equation for the magnetic field  $\mathbf{H}(\mathbf{r})$  [9]:

$$\nabla \times \left[ \frac{1}{\varepsilon(\mathbf{r})} \nabla \times \mathbf{H}(\mathbf{r}) \right] = \frac{\omega^2}{c^2} \mathbf{H}(\mathbf{r}) \quad (3)$$

where  $\varepsilon(\mathbf{r})$  is the periodic dielectric constant,  $\omega$  is angular frequency, and  $c$  is velocity of light in a vacuum.

Then, using the Bloch theorem and expanding the periodic component of the solution to the equation in a Fourier series, the result can be written as [9]

$$H(r) = \sum_G \sum_{\gamma=1,2} h_{k+G,\gamma} \exp[i(\mathbf{k} + \mathbf{G})\mathbf{r}] \quad (4)$$

where  $\mathbf{k}$  is the wave vector,  $\mathbf{G}$  is the reciprocal lattice vector, and  $\gamma$  indicates two field directions perpendicular to the vector  $\mathbf{k} + \mathbf{G}$ . For a given wave vector  $\mathbf{k}$ , variational methods can be employed to find the solution to this problem. This problem only needs to be solved in the irreducible first Brillouin zone, which reduces the calculation significantly. However, there is another important thing we need to notice. Since there is a defect (missing air hole) in the PCF center and the air hole diameter can be different to tune the dispersion, we need to use a supercell having a size of  $D \times D$  instead of a natural unit cell to implement the periodic boundary conditions, as shown in Fig. 2 [8]. Here  $D$  is the number of the elements in one side of the supercell.

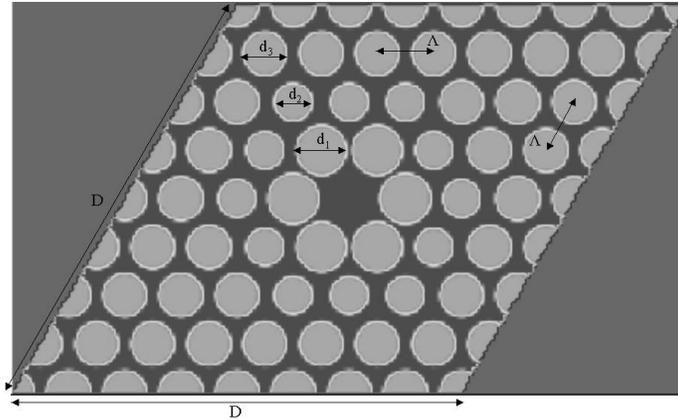


Fig. 2. Transverse section of a model HDPCF. The box with dimensions  $D \times D$  corresponds to the supercell used to implement boundary conditions.

The group velocity dispersion or simply the dispersion  $D(\lambda)$  of the guided mode of the PCF can be directly calculated from the modal effective index  $n_{\text{eff}}(\lambda)$  of the fundamental mode over a range of wavelengths [8]

$$D(\lambda) = -\frac{\lambda}{c} \frac{d^2 n_{\text{eff}}(\lambda)}{d\lambda^2} \quad (5)$$

where the effective refractive index of the mode is given by  $n_{\text{eff}} = \beta[\lambda, n_m(\lambda)]/k_0$ ,  $\beta$  is the propagation constant, and  $k_0$  is the free-space wave number. In order to design the required dispersion, the total dispersion  $D(\lambda)$  is calculated as a sum of the geometrical waveguide dispersion  $D_w(\lambda)$  and the material dispersion  $D_m(\lambda)$  in the first-order approximation [5]

$$D(\lambda) \approx D_w(\lambda) + \Gamma(\lambda) \cdot D_m(\lambda) \quad (6)$$

where  $\Gamma(\lambda)$  is the waveguide confinement factor in silica.  $D_w(\lambda)$  can be obtained without considering the material dispersion and  $D_m(\lambda)$  can be obtained directly from the Sellmeier formula [12].  $D_m(\lambda)$  is mostly determined by the wavelength dependence of the fiber material (e.g., the pure silica) and, therefore, cannot be altered very much in the design for the engineering of  $D(\lambda)$ . On the other hand,  $D_w(\lambda)$  of PCF is strongly related to the structure and, therefore, can be changed significantly to achieve the desired characteristics of  $D(\lambda)$  [5].

The method described above can be used for both silica core modified total internal reflection (MTIR) guiding PCFs and hollow-core photonic bandgap (PBG) guiding PCFs. For MTIR guiding PCF, it has both waveguide and material dispersion. But for our high dispersion design, the waveguide dispersion is usually at least one order larger than the material dispersion, and we will mainly focused on waveguide dispersion. For hollow-core PBG guiding PCFs, it has no material dispersion, but only waveguide dispersion. The dispersion parameter becomes very large and negative as the guided mode approaches the lower band edge, and very large and positive as it approaches the upper band edge [6]. In this letter, we only study MTIR guiding PCFs.

#### 4. HDPCF EXPERIMENT AND PAA SIMULATION

Various PCFs have been designed and/or purchased from MIT Photonic-Bandgap software package [13], Rsoft™, Crystal Fibre™, and BlazePhotonics™. Fig.3 shows one of the Scanning electron micrograph (SEM) image of the HDPCF fiber fabricated which is suitable for our application. It is fabricated by using the stack-and-draw technique, where silica glass capillaries are stacked in a lattice array, fused together, and then drawn successfully down to PCF. The stack-and-draw process proved highly versatile, allowing complex lattices to be assembled from individual stackable units of the correct size and shape. Solid, empty, or doped glass regions could easily be incorporated. Functional defects could be precisely introduced during the stacking process, allowing fabrication of a wide range of PCFs [6-7]. The chromatic dispersion experimental results of these HDPCFs are shown in Fig 4. The dispersion is  $-600$  ps/nm·km at 1550 nm. The dispersion is increased 33 times compared to telecom SMF-28 fiber ( $D \approx 18$  ps/nm·km), and 6 times compared to conventional highly dispersive fiber, dispersion compensating fiber (DCFs) ( $D \approx -100$  ps/nm·km).

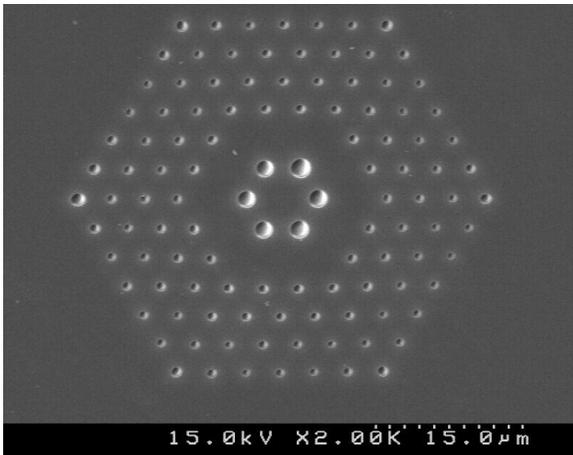


Fig3. Scanning electron micrograph (SEM) image of the fabricated HDPCF.

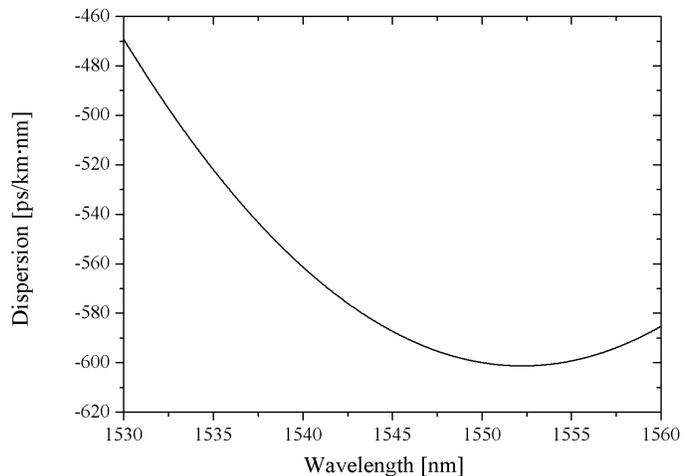


Fig. 4 Chromatic dispersion measurement of the fabricated HDPCF. The measured result is  $-600$  ps/nm·km at 1550 nm.

A 2-D  $8 \times 8$  continuously tunable X-band phased array antenna (PAA) is proposed using the fabricated HDPCFs we mentioned above. As shown in Fig. 1, supposing wavelength tuning range  $\Delta\lambda$  of the tunable laser is 50 nm (1520 nm – 1570 nm) and 1545 nm is set as the central tuning wavelength, the HDPCFs length difference among adjacent lines  $\Delta L = 2$ m is corresponding to delay interval  $\Delta t = 60$  ps ( $-30$  ps –  $30$  ps), which can cover  $90^\circ$  PAA tuning range ( $-45^\circ - 45^\circ$ ). This is indicated in Fig. 5, which can be applied to both azimuth and elevation directions since they can be tuned independently. When we continuously tune the wavelength, the antenna steering angle can be tuned continuously and simultaneously. Thus to build a 2-D  $8 \times 8$  X-band PAA with  $90^\circ$  tuning range, the PAA system only needs 9 identical

modules, which are composed of 8 fourteen-meter-long lines in each module. Far field patterns of the proposed 2-D 8×8 X-band PAA are simulated to verify the instant broad RF band. Far-field patterns at 30° of the azimuth scanning angle and -20° of the elevation scanning angle corresponding to 8, 10 and 12GHz are shown in Fig 6. From the figure, it can be seen that there is no beam squint as the RF frequency changes because of the nature of true time delay (TTD).

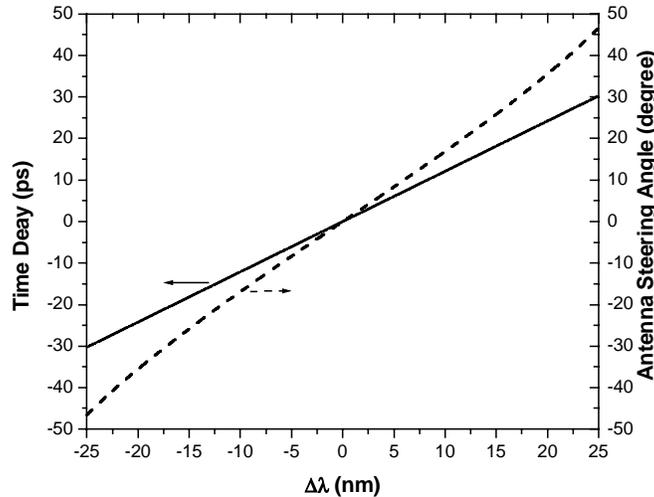


Fig. 5. The time delay among adjacent fiber lines and steering angle of the PAA versus wavelength deviation.

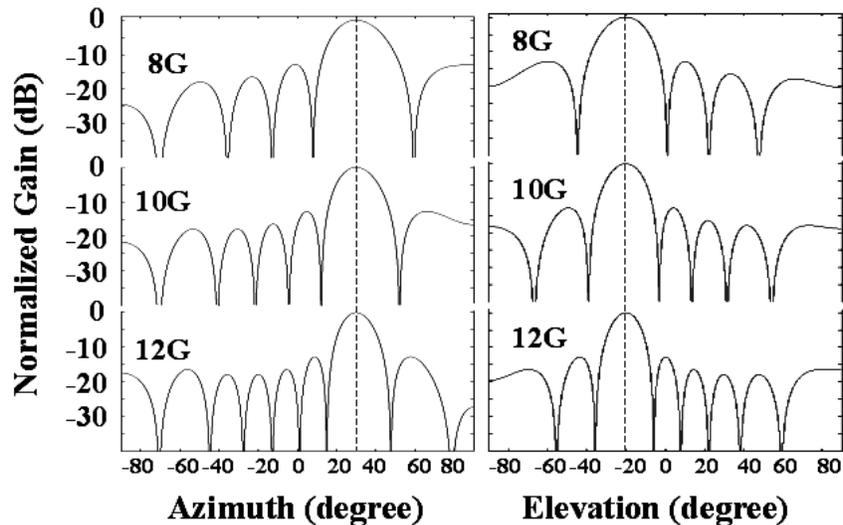


Fig. 6. Comparison of far-field patterns simulation of the PAA at scanning angles with azimuth angle 30° ( $\Delta\lambda_{AZ} = 17.2$  nm,  $\Delta t = 20.8$  ps) and elevation angle -20° ( $\Delta\lambda_{EL} = -11.8$  nm,  $\Delta t = -14.3$  ps) at three different frequencies: 8, 10, and 12 GHz.

## 5. CONCLUSION AND FUTURE RESEARCH PLAN

A two-dimensional optically controlled phased array antenna system employing novel highly dispersive photonic crystal fibers (HDPCFs) enhanced wavelength-continuously tunable true time delay (TTD) devices is proposed. A 2-D antenna array with independent control of azimuth and elevation by using mid-stage optical wavelength conversion is proposed. By increasing the dispersion absolute value of PCF the PAA system size can be greatly reduced. The TTD

module using novel PCF and the PAA system demo proposed in this letter is now underway and will be published in the near future.

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### REFERENCES

1. W. Ng, A. A. Walston, G. L. Tangonan, J. J. Lee, I. L. Newberg, and N. Bernstein, "The first demonstration of an optically steered microwave phased array antenna using true-time-delay," *IEEE Journal of Lightwave Technology*, vol. 9, pp. 1124, 1991
2. R. D. Esman, M. Y. Frankel, J. L. Dexter, L. Goldberg, M. G. Parent, D. Stilwell, and D. G. Cooper, "Fiber-optic prism true time-delay antenna feed," *IEEE Photonics Technology Letter*, vol. 11, pp. 1347, 1993
3. Y. H. Chen, Ray T. Chen, "A fully packaged true time delay modules for a K-band phased array antenna demonstration," *IEEE Photonics Technology Letter*, vol. 14, pp. 1175, 2002
4. R. T. Chen and Z. H. Fu, "Optical true time delay control systems for wideband phased array antenna", *Progress in Optics*, vol. 41, pp. 283-359, 2000
5. L.P. Shen, W. P. Huang, G. X. Chen, and S. S. Jian, "Design and optimization of photonic crystal fibers for broad-band dispersion compensation", *IEEE Photonics Technology Letter*, vol. 15, pp. 540-542, 2003
6. J.A. West, N. Venkataramam, C.M. Smith, and M.T. Gallagher, "Photonic crystal fibers", *Proc. 27th Eur. Conf. on Opt. Comm. (ECOC '01)*, vol. 4, pp. 582 -585, 2001
7. J. Broeng, D. Mogilevstev, S.E. Barkou, and A. Bjarklev, "Photonic crystal fibers: A new class of optical waveguides," *Opt. Fiber Technol.*, vol. 5, pp. 305-330, 1999
8. Ferrando, E. Silvestre, J. J. Miret, P. Andrs, M. V. Andrs, "Full-vector analysis of a realistic photonic crystal fiber", *Opt. Lett.*, vol. 24, pp. 276-278, 1999
9. J. Broeng, S. E. Barkou, T. Sndergaard, and A. Bjarklev, "Analysis of air-guiding photonic bandgap fibers", *Opt. Lett.*, vol. 25, pp. 96-98, 2000
10. Zhong Shi, Brie Holwey, Yongqiang Jiang, Qingjun Zhou, Lanlan Gu, Yihong Chen, and Ray Chen, "True-time-delay modules based on single tunable laser in conjunction with waveguide-hologram for phased-array antenna application", *IEEE Transactions on Microwave Theory and Techniques*, submitted in Aug 2003.
11. T. Durhuus, B. Mikkelsen, C. Joergensen, S.L. Danielsen, and K.E. Stubkjaer, "All-optical wavelength conversion by semiconductor optical amplifiers", *J. of Lightwave Tech.*, vol 16, pp. 942-954, 1996
12. C.R. Pollock, *Fundamentals of optoelectronics*, IRWIN, 1995
13. S.G. Johnson and J.D. Joannopoulos, the MIT Photonic-Bands Package, <http://ab-initio.mit.edu/mpb>

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